stoichiometry, but a modifying principle can be introduced which will make some distributions more likely than others by assuming that the oxygen ions will prefer identical or nearly identical cation environments. The ion distribution around oxygens characterized by 0112 and 0121 is that of an inverse spinel. The cation arrangement of MgGa₂S₄¹⁸ is an example of the case n = 4, which is a partially inverted structure of solution V, and the cation arrangement is listed in Table VI. The number of integral formula weights per unit cell

(18) C. Romers, B. A. Blaisse, and D. J. W. Ijdo, Acta Cryst., 23, 634 (1967).

will be given by the expression I[lcm(4,n)/4], where I is an integer and the numerator is the least common multiplier of 4 and n.

It is quite possible that the local energy around oxygen due to the ionic charges becomes higher as n increases. If n is small, *e.g.*, 1, then each oxygen ion has the same cation environment. For n = 2 the cation environment becomes different for the inverted spinel structure and these differences among oxygen ions would become more pronounced as n increases. The fact that spinel, olivine, and Ag₂HgI₄ structures occur so frequently indicates that structures in which the local surroundings of anions differ greatly are unstable.

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The Crystal Structure of Cesium Tetrakis(hexafluoroacetylacetonato)yttrate(III). A Novel Stereoisomer Having Dodecahedral Eight-Coordination¹

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Received March 14, 1968

The crystal and molecular structures of cesium tetrakis(hexafluoroacetylacetonato)yttrate(III), Cs[Y(CF₃COCHCOCF₃)₄], have been determined from 1650 independent, nonzero reflections collected with a counter diffractometer. The compound crystallizes in the orthorhombic space group Pben with four molecules in a unit cell of dimensions: $a = 8.679 \pm 0.005$ Å, $b = 21.518 \pm 0.008$ Å, and $c = 17.553 \pm 0.008$ Å ($\rho_{obsd} = 2.10$ g cm⁻³; $\rho_{caled} = 2.12$ g cm⁻³). The structure, excluding hydrogen atoms, was solved from Patterson and electron density maps and refined by least-squares methods to a conventional R factor of 6.5%. The molecules are monomeric with the yttrium being dodecahedrally coordinated to the eight essentially equivalent oxygen atoms (average Y–O, 2.323 (4) Å). Both coplanar ligands show dihedral folding of 7.6° along the O–O line in the chelate rings. In contrast with other dodecahedral ML₄ (L = bidentate ligand) structures, each ligand in this structure spans adjacent vertices *between* the two bisphenoids constituting the dodecahedron, resulting in over-all D₂ symmetry. The monomeric anions are linked together in infinite columns parallel to the crystallographic *a* axis by a close Cs–F association (3.2–3.7 Å), but other intermolecular distances are not unusual. The structure is in accord with the mass spectral evidence for the existence of a strong ion pair.

Introduction

During the course of our investigation of the solidstate and solution properties of several anionic eightcoordinate β -diketonate complexes of yttrium(III),^{3,4} it was discovered that certain large but flexible organic cations, such as $(C_6H_5)_4As^+$, gave rise to a polymorphism that was not observed for the simple inorganic cations (Na⁺, K⁺, Cs⁺).^{4,5} It was considered possible that this polymorphism might correspond to geometric isomerism for the eight-coordinate anions. This type of isomerism, although considered to be a possibility,⁶ has never been observed in tetrachelate metal atom complexes.⁷ As part of an investigation to test this structural possibility, it was decided to carry out a single-crystal X-ray analysis of $Cs[Y(HFA)_4]$, where HFA represents the hexafluoroacetylacetonate ion, $CF_3COCHCOCF_3^{-}$.

Experimental Procedures

Crystalline Cs[Y(HFA)₄] was prepared by the reaction of Cs(HFA) with YCl₃ in aqueous ethanol as described previously⁸ and was recrystallized from the same solvent. *Anal.* Calcd for CsYC₂₀H₄O₈F₂₄: C, 22.85; H, 0.38; F, 43.43. Found: C, 22.71; H, 0.46; F, 43.27. The analyses were performed by Galbraith Microanalytical Laboratories, Knoxville, Tenn.

The well-formed, transparent, needle-like crystals showed mmm morphology under optical examination, and preliminary Weissenberg (0kl and 1kl levels) and precession (h0l, h1l, hk0, and hk1 levels) photographs, taken with Cu K α radiation, confirmed this as the Laue symmetry. Moreover, the observed systematic absences—0kl for $k \neq 2n$, h0l for $l \neq 2n$, and hk0 for $h + k \neq 2n$ —suggested the unique choice of the orthorhombic space group Pbcn (no. 60). The following unit cell dimensions were obtained, at 22°, by a method described earlier,⁹ with 2 θ values measured on a General Electric XRD-5 manually operated single-crystal diffractometer using Cu K α radiation ($\lambda(K\alpha_1)$)

⁽¹⁾ Work supported by the National Science Foundation under Grant No. 7034X.

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1.5405 Å, $\lambda(\text{K}\alpha_2)$ 1.5443 Å): $a = 8.679 \pm 0.005$ Å, $b = 21.518 \pm 0.008$ Å, $c = 17.553 \pm 0.008$ Å. The pycnometrically observed density of 2.10 g cm⁻³ agrees with the calculated density of 2.12 g cm⁻³ for a formula weight of 1049.8, Z = 4, and a unit cell volume of 3278 Å³.

Preliminary intensity data were collected by the equiinclination Weissenberg technique for 0kl through 6kl using Cu K α radiation, and the results of this study have been briefly reported.¹⁰ Since further refinement of the data did not proceed satisfactorily, it was decided to collect a new data set. Laue photographs of a series of optically satisfactory crystals indicated that disorder was variable from crystal to crystal. Consequently, the best crystal, having well-developed {100}, {010}, and {001} faces and approximate dimensions $0.1 \times 0.1 \times 0.3$ mm, was selected for the subsequent work.

Intensity data were collected on the diffractometer with the crystal oriented so that a^* was coincident with the ϕ axis of the instrument.¹¹ The crystal was placed 5.73 in. from the source while the distance from the crystal to the detector with a circular aperture of 2° was 7.05 in. The integrated intensities of 3342 independent reflections within the sphere $\theta \leq 70^{\circ}$ were measured using nickel-filtered Cu K α radiation. The intensities were measured using a scintillation counter (the linear counting rate of which was never exceeded) with a pulse height discriminator set to accept 95% of the Cu K α radiation with the window centered on the Cu K α peak. The data were collected using a θ -2 θ scan technique at a 2 θ scan rate of 4°/min. The peak counts, P, were obtained from a 2θ scan of 2.66° from $2\theta_{calcd}$ – 1.33° to $2\theta_{calcd}$ + 1.33°. Stationary background counts, B_1 and B_{2} , of 20 sec were taken at each of the limits of the scan. From these readings the intensity, I, assuming a linear change in background, or its equivalent, between the two limits of the scan, is given by: $I = P - (B_1 + B_2)$. Periodic checks of three standard reflections showed a variation in intensity $(\pm 2\%)$ having no 2θ dependence, which is consistent with fluctuations in the electronic circuits rather than with crystal decomposition.

The experimental values of I were processed using the program PMMO written by M. J. Bennett. A number of reflections (1692) were rejected as unreliable using the two criteria: (1) I < 0; (2) $I < 2(P + [B_1 + B_2])^{1/2}$. The remaining 1650 independent intensities were next assigned standard deviations, $\sigma(F)$, according to Ibers¹² with $p^2 = 0.002$, and corrections on I and $\sigma(F)$ were made for Lorentz and polarization effects.

Appreciable variations in the intensities of the h00 reflections were observed as a function of crystal orientation, ϕ scans of several of these reflections indicating a variation of 20%. Consequently, absorption corrections ($\mu = 130.0 \text{ cm}^{-1}$), based on the equations of the crystal faces, were applied to I and $\sigma(F)$ and a set of $|F_o|^2$ and $|F_o|$ values (on a relative scale) was thus obtained.

Solution and Refinement of the Structure

From the three-dimensional map of the Patterson function, both the cesium and yttrium atoms were located on twofold axes in the crystal. The rest of the structure was solved by successive conventional least-squares and Fourier calculations. The scattering factors used during the analysis were those of Cromer and Waber,¹³ and the anomalous dispersion corrections¹⁴ for Cs⁺ ($\Delta f' = -1.80 \text{ e}^-$, $\Delta f'' = 8.00 \text{ e}^-$) and Y ($\Delta f'$

= -0.75 e⁻, $\Delta f^{\prime\prime} = 2.20$ e⁻), applied to $F_{\rm e}$, were taken from a standard source.¹⁵ The function minimized in the least-squares refinements was $\Sigma w(|F_{\rm o}| - |F_{\rm e}|)^2$, where $|F_{\rm o}|$ is the observed structure amplitude, $|F_{\rm e}|$ is the calculated structure amplitude, and $w = [\sigma(F)]^{-2}$.

Five cycles of refinement of coordinates and isotropic temperature parameters for all atoms converged to a value of 0.192 for the residual R_1 (defined as Σ $||F_o| - |F_c||/\Sigma|F_o|$. At this stage of the refinement, the fluorine temperature parameters ranged from 12 to 17 Å^2 and a subsequent difference Fourier synthesis, phased on all the atoms, indicated unassigned electron density ($\sim 2 \text{ e}^{-}/\text{Å}^3$) in the regions of the terminal CF₃ groups. Consequently, even with the best-ordered crystal that we could find, evidence from the thermal parameters and electron density maps suggested that the CF_3 moieties were behaving as hindered rotors. Since the fluorine parameters are not of great importance in this study and should have negligible correlation with the parameters of primary interest, this motion was approximated by anisotropic temperature factors of the form: $\exp[-(\beta_{11}h^2 + \beta_{22}k^2 + \beta_{33}l^2 +$ $2\beta_{12}hk + 2\beta_{13}hl + 2\beta_{23}kl$]. Because of limitations in the core storage of the IBM 7094 computer, two cycles of refinement were then executed using anisotropic temperature factors for the CF₃ groups only, after which R_1 dropped to 0.108 and the weighted R factor, $R_2 = \left\{ \Sigma w [|F_0| - |F_0|]^2 / \Sigma w |F_0|^2 \right\}^{1/2}, \text{ was } 0.114.$

With the advent of the IBM 360 computer, we were able to perform three final cycles of anistropic refinement for all atoms which led to convergence and $R_1 =$ 0.065 and $R_2 = 0.076$. The chosen weighting scheme satisfied Cruickshank's criterion¹⁶ as $\Sigma w[|F_o| - |F_c|]^2$ was substantially the same in different ranges of both $|F_o|$ and $(\sin \theta)/\lambda$. A comparison of the final values of F_o and F_c suggested that a correction for extinction was not necessary.

During the final cycle of refinement, no positional or thermal parameter shifted more than one-fourth or onehalf, respectively, of its estimated standard deviation. The final value of the standard deviation of an observation of unit weight was 1.030. While this was satisfactorily close to the expected value of unity, it was nevertheless considered to be too low since the data undoubtedly had systematic errors due to various nonisotropic effects and it thus suggested that the use of a smaller p factor might have been preferable. A final difference Fourier map showed peaks of 0.94 and $0.87 \text{ e}^{-}/\text{Å}^{3}$ in the vicinity of the cesium and yttrium atoms, respectively. All other peaks were less than $0.70 \text{ e}^{-}/\text{Å}^3$; no attempt was made to deduce the hydrogen atom positions. The observed and final calculated structure amplitudes are given in Table I.

A comparison of the final parameters of this study with those obtained from the film data showed the former to have smaller estimated standard deviations and lower temperature factors for all atoms, thereby indicating that the original crystal had a higher degree

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 $\label{eq:capacity} \begin{array}{c} \mbox{Table I} \\ \mbox{Observed and Calculated Structure Amplitudes } (\times 10) \mbox{ (in Electrons) for } Cs[Y(HFA)_4] \end{array}$

of disorder. This was subsequently confirmed by examination of a Laue photograph of the original crystal.

The following programs for the IBM 7094 and 360 computers were used in the structure analysis and interpretation: (1) D. P. Shoemaker, MIT X-ray gonioni-

eter package, MIXG-2 (1962); (2) R. C. Elder, convenient listing of diffractometer settings, PDATA2; (3) M. J. Bennett, general data reduction program, PMMO; (4) a modified version of W. G. Sly, D. P. Shoemaker, and J. H. van der Hende, two- and three-dimensional crystallographic Fourier summation, MIFR-2 (1962);

(5) a modified version of A. Zalkin, Fourier analysis program, FORDAP; (6) W. C. Hamilton, absorption correction program, GON09; (7) C. T. Prewitt, full-matrix crystallographic least-squares programs, sflsq3 (1962) and sFLs5 (1966); (8) J. S. Wood, molecular geometry with estimated standard deviations, MGEOM (1964); (9) D. P. Shoemaker, crystallographic bond distance, bond angle, and dihedral angle program, DISTAN (1963); (10) D. P. Shoemaker and R. C. Srivastava, program for analysis of anisotropic temperature factors, VIBELL (1963); (11) R. C. Elder, data presentation program, PUBTAB.

Results

The molecular structure and atom numbering system are shown in Figure 1. Figures 2 and 3 show selected



Figure 1.—The molecular structure projected on the *ab* plane. The arrows indicate the crystallographic twofold axis which passes through the yttrium atom.



Figure 2.-View of coordination dodecahedron down the twofold axis through yttrium (from -b direction).

portions of the molecule as (010) and (100) projections, respectively. Final atomic positional coordinates are given in Table II with the listed standard deviations being derived from the inverse matrix of the final leastsquares refinement cycle. Anisotropic thermal parameters and the root-mean-square amplitudes of vibration with their direction cosines are listed in Table III. Intramolecular distances and bond angles are given in Tables IV and V, while Table VI shows some selected intermolecular contacts. The characteristic param-



Figure 3.-(100) projection of the fluorine environment about the cesium atom. The arrows indicate the crystallographic twofold axis which passes through Cs.

Atom

	TABLE II	
Final	ATOMIC POSITIONAL COORD	INATES ^a
x	y	z

Cs	0.5000(0)	0.27070(5)	0.2500(0)
Y	0.0000(0)	0.31652(5)	0.2500(0)
O1	-0.2121(8)	0.3542(3)	0.3160(4)
O_2	0.0875(8)	0.4005(3)	0.3202(4)
O3	-0.1349(8)	0.2311(3)	0.2998(4)
O ₄	0.1476(9)	0.2754(3)	0.3472(4)
C1	-0.3967(16)	0.4138(6)	0.3798 (10)
C_2	-0.2385(12)	0.4035(5)	0.3547(6)
C3	-0.1257(15)	0.4483 (5)	0.3765(6)
C4	0.0264(11)	0.4422(5)	0.3577(7)
C ₅	0.1319(18)	0,4931 (6)	0.3848 (10)
C ₆	-0.2168(20)	0.1348(6)	0.3494 (13)
C7	-0.0966(14)	0.1870 (5)	0.3452(7)
C ₈	0.0329(11)	0.1806(6)	0.3879(7)
C ₉	0.1425(14)	0.2280(5)	0.3887(6)
C10	0.2735(20)	0.2205(9)	0.4442(12)
F ₁	-0.4221(11)	0.4467 (6)	0.4376(7)
F_2	-0.4692(11)	0.3636 (5)	0.3963 (9)
F_3	-0.4832(13)	0,4331 (9)	0.3269 (8)
F_4	0.2273(11)	0.4707(5)	0.4386(7)
F_5	0.2237(12)	0.5119(4)	0.3335(6)
F_6	0.0662(11)	0.5381 (4)	0.4197 (8)
F_7	-0.2115(17)	0.1021 (6)	0.4050 (8)
F_8	-0.1897(21)	0.0953 (7)	0.2991 (10)
F۹	-0.3430(12)	0.1494 (6)	0.3357 (15)
F_{10}	0.2505(15)	0.2515(10)	0.5033 (8)
F ₁₁	0.4019(12)	0.2383 (6)	0.4216(6)
F ₁₂	0.2930(12)	0.1659(5)	0.4717 (8)

^a Numbers in parentheses are the estimated standard deviations occurring in the last digits listed.

eters of the coordination dodecahedron about yttrium are summarized in Table VII, and Table VIII gives the best weighted least-squares planes through portions of the polyhedron.

Discussion

The crystal structure consists of the close packing of discrete monomeric Y(HFA)₄⁻ anions and Cs⁺ cations in infinite chains parallel to the crystallographic aaxis. Each Cs⁺ ion is surrounded by eight fluorine atoms from two neighboring $V(HFA)_4^-$ moieties, as shown in Figure 3. Primary interactions between parallel chains appear to be due to fluorine-fluorine contacts, the shortest of which are listed in Table VI.

	TABLE III	
А.	Anisotropic Temperature Factors ^a	$(\times 10^4)$

				IABLE III				
		A. <i>A</i>	nisotropie (Temperature Facto	$\operatorname{prs}^{a}(\times 10^{4})$	7		Equiv ^b isotropic B.
Atom	β_{11}	β_{22}	B33	β_{12}	B13	4	328	Å ²
Cs	134(2)	41 (1)	64(1)	0	7 (1)		0	6 49.7
Y	104(2)	18(1)	44 (1)	Õ	1(1)		õ	3 95
01	141 (11)	24(2)	50(3)	2(4)	11(5)		1(2)	4 94
O_{α}	157(12)	24(2)	58(4)	$\frac{2}{2}(1)$	3(5)	1	(2)	5 44
O_2	165(12)	$2 \pm (2)$ 20 (2)	40 (3)	-7(4)	-3(5)	-1	6 (2) 6 (2)	4 02
03	100(12) 199(14)	20(2)	±9(0) 50(2)	-7(4)	-3(0)		0(2)	7.90
O_4	102(14) 179(95)	29(2)	00 (0) 01 (0)	-12(4)	-15(0)		3 (2) E (4)	0.08
	172(20) 197(17)	30(4)	81 (8) 40 (4)	10(0)	10 (8)		0(4) 0(9)	0.90
C_2	127(17) 127(20)	28 (3)	40(4)	4(6)	8(7)		3 (3) 7 (9)	4.69
C3	165 (20)	28 (3)	43 (5)	-8(6)	1 (8)	_	7(3)	ə.1ə
C_4	96 (24)	24(2)	57 (5)	-3(5)	-3(7)	_	5(3)	4.79
C_5	215(27)	27 (3)	83 (9)	-14(8)	5(13)	-1	3(5)	7.21
C ₆	244(32)	22(3)	124(12)	-26(8)	-50(16)	1	9(5)	8.88
C ₇	177(21)	20(2)	52(5)	-10(6)	8 (9)	—	2(3)	5.14
C_8	115(21)	33(3)	52(5)	-13(6)	6 (6)		1(3)	5.37
C ₉	173~(21)	32(3)	44(5)	8(7)	-4(8)		3 (3)	5.51
C_{10}	220(29)	49(5)	73(9)	-4(10)	-48(14)	1	2(6)	8.25
\mathbf{F}_1	221(17)	111(6)	148 (8)	-18(8)	65(10)	-8	3(6)	15.1
\mathbf{F}_2	240(21)	64(4)	217(11)	-38(7)	127(12)	-2	6(6)	15.2
F_3	270(22)	187 (11)	113(7)	139(13)	24(10)	4	2(7)	18.8
F₄	310 (21)	67 (4)	108 (6)	-33(7)	-66(9)	-1	8 (4)	11.6
\mathbf{F}_{5}	423 (24)	53 (3)	111 (6)	-100(8)	51(10)	-1	4 (3)	12.0
F.	257(16)	39(2)	201(11)	-13(5)	2(10)		8(4)	13.2
- 0 F-	668(42)	77 (4)	149 (9)	-164(12)	-116(15)	5	8 (6)	17.5
F.	833 (57)	01(6)	170(0)	-200(16)	02(20)	6	5(0) 5(7)	21.3
- 8 F.	103 (18)	51(0) 59(4)	419 (99)	-205(10) -45(7)	-55(17)	-0-7	0 (1) 9 (9)	22.0
1.9 12	415 (22)	102 (4)	413(20)	- 40 (7)	-55(17)	1	$\frac{2}{7}(7)$	10.2
L'10	410(32)	100 (11)	95 (0) 108 (7)	00(10)	-101(12)	-0	I(I)	19.0
Г11 Г	201 (17)	120(7)	108(7)	-28(9)	-41(9)	0	0 (0) 0 (5)	14.0
Γ_{12}	417 (20)	(1(4)	163 (9)	-7(9)	-130(13)	Ð	3(3)	10.2
	в	Root-Mean-Square	Amplitudes	of Vibrations (Å)	and Their Directic	n Cosines		
Atom	2.	Minor axis	impireduce	Medium av	in and a strend Direction		Major av	10
Ca		0.994		0.200	15		0.917	19. 19.
Cs	(0.001	0.224		0,309	0.000	(0.107	0.317	0.004)
	(0.994,	0.000, -0.107)		(0,000, 1,000, 0,000)	0.000)	(0, 107,	0.000.	0.994)
Ŷ	(0.000	0.199		0.206	0.0000	(0.010	0.261	0.000
	. (0.999,	0.000, -0.013)		(0.000, 1.000, 0.000)	0.000)	(0.013,	0.000,	0.999)
O_1		0.226		0.237			0.284	
	(0.921,	-0.290, -0.260)		(0.244, 0.950,	-0.195)	(0.304,	0.116,	0.946)
O_2		0.218		0.246			0.314	
	(-0, 204,	0.888, 0.412)		(0.979, 0.198,	0,058)	(0.030,	-0.415,	0.909)
O_3		0.204		0.252			0.286	
	(0.245,	0.926, -0.288)		(0.944, -0.160,	0.290)	(-0.223,	0.343,	0.913)
O_4		0.237		0.260			0.304	
	(0.750,	0.621, 0.228)		(0.328, -0.648,	0.688)	(-0.575,	0.442,	0.689)
C_1		0.219		0.291			0.360	
	(0.739,	-0.649, -0.182)		(0.656, 0.755,	-0.026)	(0.154,	-0.100,	0.983)
C_2		0.215		0.243			0.270	
	(0.942,	-0.073, -0.327)		(0.194, -0.677,	0.710)	(0.274,	0.732,	0.624)
C_3		0.226		0.252			0.285	
	(0.422)	0.710, 0.563)		(0.851, -0.096,	-0.517)	(-0.312,	0.697,	-0.645)
C₄		0.189		0.234	,		0.303	
- •	(0.980.	0.186. 0.072)	(-0.197, 0.950,	(0.241)	(-0.023)	-0.251.	0.968)
C.	(11000)	0 224	```	0.292		(,	0.372	
0.	(0.344	0.901 - 0.263		(0.929 - 0.286)	-0.233)	(0, 135)	-0.325	0.936)
C.	(0.011,	0.102		0.288	01200)	(0,200,	0.467	0.000)
\mathbf{c}_0	(0. 300	0.940 - 0.145		(0.893 - 0.233)	0.385)	(-0.328)	0.249	0.911)
Ċ.	(0.009,	0.240, 0.140/		0.250	0.000)	(0.020,	0.210,	0.011)
\mathbf{C}_{1}	(0.240	0.200 0.040 0.022)		(0.846 - 0.206)	-0.443	(0.411	-0.169	0.896)
C	(0.040,	0.940, 0.022)		(0.040, 0.290, 0.987)	0,110)	(0.441,	0.100,	0,000)
C_8	(0.044	0.190		0.287	0.960)	(-0.291)	0.200	0.481)
C	(0.944,	0.011, -0.110)		(0.247, -0.429, 0.966)	0.009)	(-0.221,	0.049,	0.401)
C 9	/0 =0-	0.240	,	0.200	0.910	(0.200	0.283	0.9061
0	(0.721,	-0.493, 0.487)	(-0.074, -0.031,	0.018)	(0.388,	0.809,	0.000)
U 10	/0 H 00	0.240		0.323	0.207)	(0.491	0.589	0.740)
Ð	(0.789,	-0.183, 0.587)		(0.438, 0.837, 0.837)	-0.327	(-0.431,	0.516,	0.740)
\mathbf{F}_1	·	0.237		0.328	0 (02)	(0 1	0.641	0.475
-	(0.753,	-0.366, -0.547)		(0.643, 0.587, 0.587)	0.492)	(-0.141,	0.722,	-0.677)
F_2		0.231		0,373	0.0023	10 5:	0.623	
	(0.936,	0.205, -0.287)	(-0.118, 0.949,	0.293)	(0.332)	-0.240,	0.912)

		TABLE III (Continued)	
Atom	Minor axis	Medium axis	Major axis
\mathbf{F}_3	0.239	0.395	0.709
	(0.936, -0.341, 0.087)	(-0.163, -0.201, 0.966)	(0.312, 0.918, 0.244)
\mathbf{F}_4	0.254	0.416	0.452
	(0.739, 0.441, 0.510)	(-0.561, 0.821, 0.103)	(-0.373, -0.362, 0.854)
\mathbf{F}_{5}	0.216	0.385	0.513
	(0.642, 0.766, -0.037)	(-0.332, 0.321, 0.887)	(0.691, -0.557, 0.461)
F_6	0.211	0.316	0.599
	(0.193, 0.909, 0.370)	(0.981, -0.171, -0.093)	(0.022, -0.381, 0.924)
\mathbf{F}_7	0.221	0.394	0.680
	(0.511, 0.822, -0.251)	(0.569, -0.105, 0.816)	(0.644, -0.560, -0.521)
F_8	0.213	0.475	0.734
	(0.517, 0.811, 0.276)	(-0.536, 0.055, 0.843)	(0.668, -0.583, 0.462)
\mathbf{F}_{9}	0.214	0.333	0.826
	(0.797, 0.599, -0.082)	(-0.598, 0.763, -0.245)	(-0.084, 0.244, 0.966)
F_{10}	0.250	0.411	0.708
	(0.540, 0.197, 0.818)	(0.805, -0.404, -0.434)	(0.245, 0.893, -0.377)
F_{11}	0.255	0.316	0.607
	(0.900, -0.122, 0.418)	(-0.415, -0.533, 0.737)	(-0.132, 0.837, 0.531)
F_{12}	0.245	0.396	0.602
	(0.599, -0.531, 0.599)	(0.679, 0.734, -0.028)	(-0.425, 0.423, 0.800)

^{*a*} Numbers in parentheses are estimated standard deviations occurring in the last digits listed, neglecting correlations. ^{*b*} The equivalent isotropic *B*'s were calculated by the program VIBELL. ^{*c*} Direction cosines in parentheses are referred to the Cartesian coordinate system *abc*.

TABLE IV				TA	ABLE V		
INT	RAMOLECULAR	DISTANCES ^a IN G	Cs[V(HFA)4]	In	TRAMOLECULAR	Angles ^a in Cs[Y	(HFA) ₄]
Atoms	Dist, Å	Atoms	Dist, Å	Atoms	Angle, deg	Atoms	Angle, deg
Cs-Y	4.450(1)	$C_i - F_1$	1.26(2)	O_1 – V – O_2	73.8(3)	O_3 -Y- O_4	72.7(3)
		$C_1 - F_2$	1.28(2)	$Y-O_1-O_2$	53.0(2)	Y-O3-O4	53.1(2)
$Y-O_1$	2.321(7)	C_1-F_3	1.27(2)	$Y-O_2-O_1$	53.2(2)	$Y-O_4-O_3$	54.3(2)
$Y-O_2$	2.315(7)	C_5-F_4	1.34(2)	$Y-O_1-C_2$	134.2(6)	$Y-O_3-C_7$	133.0(7)
Y-O3	2.347(7)	$C_5 - F_5$	1.27(2)	$Y - O_2 - C_4$	135.3(8)	Y−O₄−C ₉	136.1(7)
Y–O ₄	2.310(7)	C_5-F_6	1.28(2)	$O_1 - C_2 - C_1$	117(1)	$O_3 - C_7 - C_6$	113 (1)
		C_6-F_7	1.21(2)	$O_1 - C_2 - C_3$	125(1)	$O_{3}-C_{7}-C_{8}$	129(1)
$O_1 - C_2$	1.28(1.3)	C_6-F_8	1.25(3)	$C_1 - C_2 - C_3$	118(1)	C6-C7-C8	118(1)
$O_2 - C_4$	1.23(1.3)	$C_6 - F_9$	1.16(2)	$C_2 - C_3 - C_4$	122(1)	$C_7 - C_8 - C_9$	120(1)
O_3-F_7	1.28(1.3)	C10-F10	1.25(3)	$C_{3}-C_{4}-O_{2}$	128(1)	$C_8 - C_9 - O_4$	128(1)
$O_4 - C_9$	1.26(1.3)	$C_{10}-F_{11}$	1.24(2)	$C_3 - C_4 - C_5$	116(1)	C8-C9-C10	116(1)
		$C_{10}-F_{12}$	1.28(2)	$O_2 - C_4 - C_5$	116(1)	$O_4 - C_9 - C_{10}$	116 (1)
$C_2 - C_3$	1.43(2)			$C_2 - C_1 - F_1$	120(1.4)	$C_7 - C_6 - F_7$	116(1.7)
$C_3 - C_4$	1.37(2)	$Cs-F_2$	3.27(1.4)	$C_2 - C_1 - F_2$	114(1.2)	$C_7 - C_6 - F_8$	110(1.6)
$C_7 - C_8$	1.36(2)	Cs-F ₃	3.75(2)	$C_2 - C_1 - F_3$	113(1.4)	$C_7 - C_6 - F_9$	116(2.1)
C8-C9	1.39(2)	Cs-F ₉	3.31(2)	$F_1 - C_1 - F_2$	102(1.5)	$F_7 - C_6 - F_8$	100 (1.6)
		$Cs-F_{11}$	3.21(1)	$F_1 - C_1 - F_3$	108(1.4)	$F_7 - C_6 - F_9$	111(1.4)
$C_1 - C_2$	1.46(2)			$F_2 - C_1 - F_3$	99(1.4)	F ₈ -C ₆ -F ₉	102(2.2)
$C_4 - C_5$	1.51(2)	O_1-O_2	2.79(1)	$C_4 - C_5 - F_4$	110(1.2)	$C_9 - C_{10} - F_{10}$	111(1.6)
$C_{6}-C_{7}$	1.53(2)	$O_3 - O_4$	2.76(1)	$C_4 - C_5 - F_5$	113 (1.4)	$C_9 - C_{10} - F_{11}$	116(1.5)
$C_{9}-C_{10}$	1.51(2)			$C_4 - C_5 - F_6$	116(1.2)	$C_9 - C_{10} - F_{12}$	116(1.4)
Aton	15	Av dist, Å ^b	Weighted av dist, $Å^c$	$F_4 - C_5 - F_5$	103(1.2)	$F_{10}-C_{10}-F_{11}$	104(1.8)
Y–O		2,323(8)	2,323(4)	$F_4 - C_5 - F_6$	102(1.5)	$F_{10}-C_{10}-F_{12}$	101 (1.4)
0-C		1,263(12)	1,263(7)	$F_{5}-C_{5}-F_{6}$	112(1.3)	F ₁₁ -C ₁₀ -F ₁ ,	106(1.6)
C–C(ri	ng)	1,386 (15)	1,386 (8)	^a Numbers i	n parentheses a	are estimated star	ndard deviations
C-CF ₃	-0,	1,501 (16)	1,498(9)	occurring in th	e last digits liste	d.	
C-F		1.26(1)	- <- /	0	J		
0-0		2.772(13)	2.780(7)	hanima astro		1 . 4! 1	

^a Numbers in parentheses are estimated standard deviations occurring in the last digits listed. No significance can be attached to C-F distances or to their standard deviations because both librational corrections (~0.1 Å) and parameter correlations were neglected. ^b Standard deviations of averages calculated from: $\sigma^2 = [1/n(n-1)]\Sigma_i(x_i - \bar{x})^2$. ^c Weighted average distances were computed from: $\mu_{av} = \Sigma(\mu_i/\sigma_i^2)/\Sigma(1/\sigma_i^2)$ and $\sigma_{av} = \sqrt{1/\Sigma_i(1/\sigma_i^2)}$ (where μ_i are the individual observations, and σ_i are the standard deviations for them) when the equation in footnote *b* suggested it was valid to do so.

These distances are as expected in view of the van der Waals radius for fluorine¹⁷ of 1.35 Å. There are no significant cesium-fluorine contacts between neighboring columns. This relatively weak intermolecular interaction due to ion-dipole and van der Waals forces is consistent with the observation from mass spectrometry that this compound readily sublimes as an ion pair.⁴

The molecular structure of $Cs[Y(HFA)_4]$ is shown in Figure 1. Eight essentially equidistant (2.310– 2.347 Å) oxygen atoms surround the central yttrium atom in a slightly distorted dodecahedral configuration.¹⁸ Figure 2 shows the two interpenetrating

(17) L. Pauling, "The Nature of the Chemical Bond," Cornell University Press, Ithaca, N. Y., 1960, p 260.

(18) See ref 6 and 7 for explanations and definitions of the nomenclature used in this discussion and summarized in Figure 2.

TABLE VI

	Se	LECTED INTERMOLECULAR CONTACTS	
		Vector from molecule containing I to	
Atom I	Atom J	molecule containing J	Dist, Å
\mathbf{F}_1	\mathbf{F}_1	(-1 - x, 1 - y, 1 - z)	3.45
\mathbf{F}_1	F_4	(-x, 1, -y, 1, -z)	3.23
$\mathbf{F_1}$	\mathbf{F}_7	(-1/2 - x, 1/2 + y, z)	3,59
\mathbf{F}_1	\mathbf{F}_{12} .	(-1/2 + x, 1/2 - y, 1 - z)	3.45
\mathbf{F}_2	\mathbf{F}_{10}	$(-\frac{1}{2} + x, \frac{1}{2} - y, 1 - z)$	3.59
\mathbf{F}_2	\mathbf{F}_{12}	(-1/2 + x, 1/2 - y, 1 - z)	3.31
F_3	F_3	$(-1 - x, y, \frac{1}{2} - z)$	2.72
F_4	\mathbf{F}_{6}	(-x, 1 - y, 1 - z)	3.57
F_4	\mathbf{F}_7	$(\frac{1}{2} + x, \frac{1}{2} - y, 1 - z)$	3.21
$\mathbf{F}_{\mathfrak{z}}$	F_8	$(1/_2 + x, 1/_2 + y, 1/_2 - z)$	3.03
F_6	F_6	(-x, 1 - y, 1 - z)	3.46
F_6	\mathbf{F}_7	(-1/2 - x, 1/2 + y, z)	3.38
F_6	\mathbf{F}_{9}	(-1/2 - x, 1/2 + y, z)	3.41
F_6	F_{12}	(1/2 - x, 1/2 + y, z)	3.14
F_7	F_{10}	$(-\frac{1}{2} + x, \frac{1}{2} - y, 1 - z)$	3.55
F_{10}	F_{11}	$(-\frac{1}{2} + x, \frac{1}{2} - y, 1 - z)$	3.31

TABLE VII

CHARACTERISTIC PARAMETERS OF THE COORDINATION DODECAHEDRON^a

	-Distances		
Atoms	Type	Value, Å ^b	Angles
O3-O3'	a	2.92	Angle between
$O_2 - O_2'$	a	2,90	trapezoids = 88.3°
O1O4	b	3.60	$\theta_{\rm A} = 38.6^{\circ}$
O1-O4'	b	3.38	$\theta_{\rm B} = 68.5^{\circ}$
O1O3	т	2.75	
$O_2 - O_4$	т	2.78	
$O_1 - O_2$	g	2.79	
O3-O4	g	2.76	
$O_1 - O_2'$	g	2.81	
$\Omega_3 - \Omega_4'$	ø	2.75	

^a See especially Figure 2 for the labeling scheme. Primes denote symmetry-related atoms. ^b All standard deviations are 0.01 Å.

Br	st Weigi LX	HTED LEAS $X + MY$	st-Squar + <i>NZ =</i>	es Plane D ⁶	$S.^a$	
Atoms	L	М	N	D	Mean Dev, Å	Mean ø, Å
	Plar	ies`throug	h Trapez	oids		
O4'-O2'-O2-O4	0.8169	0.0	0.5769	11.1389	0.07	0.01
$\mathrm{O_1-O_8-O_8'-O_1'}$	-0.5523	0.0	0.8336	8.5780	0.07	0.01
	Plane	s through	Chelate	Rings		
C1-C2-O1-C3-						
$C_4 - O_2 - C_5$	-0.1717	0.5113	0.8421	12.6043	0.01	0.01
C6-C7-O3-C8-						
C9-O4-C10	0.4641	-0.4965	0.7336	9.9628	0.04	0.01
$O_1 - Y - O_2$	-0.2117	0.6099	0.7637	11.5430	0.0	0.0
O_8-Y-O_4	0.4567	-0.6023	0.6548	8.2237	0.0	0.0
^a Direction	cosines o	of the pla	nes refer	to the C	lartesia	in axis

TABLE VIII

- system abc. ${}^{b}X = ax$, Y = by, Z = cz.

trapezoids BAAB as viewed down the crystallographic twofold axis (idealized unique $\overline{4}$ axis of the dodecahedron). In other dodecahedral ML₄ structures,⁷ where L is a bidentate ligand, the chelate rings are closed across the *m* edges of a single trapezoid and g > a = m. However, in $Cs[Y(HFA)_4]$, the β -diketonate groups span adjacent A-B vertices of the two bisphenoids along g edges of the dodecahedron, thereby resulting in overall idealized D_2 symmetry for the anion and g = m< a. This novel structural feature has also recently been found¹⁹ in the structure of $(NH_4)Pr[C_8H_4F_3O_2S]_4$. H_2O .

The characteristic parameters of the coordination dodecahedron are summarized in Table VII. θ_{A} and θ_{B} (angles made by bonds Y-A and Y-B with the unique C_2 axis of the dodecahedron, which coincides with the crystallographic twofold axis in this case) are 38.6 and 68.5° , respectively, again reflecting the dependence of the coordination geometry upon intermolecular packing and ligand steric requirements. The angle between the best least-squares planes through each of the trapezoids BAAB is 88.3° . Ideally (for D₂ symmetry) this would be 90°.

The essentially coplanar β -diketonate ligands exhibit the folding along the oxygen-oxygen line so often found in these chelate rings,²⁰ with the dihedral angles between the ligand plane and the plane defined by the O-Y-O group being 7.6° in both cases. This folding apparently aids packing within and between molecules. Tables IV and V contain all pertinent intramolecular distances and angles.

As shown in Table IV, the standard deviations for the average bond lengths, estimated from a spread of values, are comparable to those obtained from the inverse matrix during least-squares refinement, with the notable exception of the C-F bonds. This appears to confirm our postulate that the approximation of the CF₃ motion by anisotropic temperature factors would lead to a negligible effect on the parameters of primary interest. Finally, it should be noted that the bond distances and angles within the chelate rings show no significant deviations from the average values for other acetylacetonate structures which have been accurately determined by three-dimensional methods.²⁰⁻²²

(19) R. A. Lalancette, M. Cefola, W. C. Hamilton, and S. J. LaPlaca lnorg. Chem., 6, 2127 (1967).

(20) F. A. Cotton and J. S. Wood, ibid., 3, 245 (1964).

- (21) E. C. Lingafelter and R. L. Braun, J. Am. Chem. Soc., 88, 2951 (1966).
- (22) F. A. Cotton and R. Eiss, ibid., 90, 38 (1968).